$$C_{n} = \frac{1}{T_{0}} \int_{9P}^{T_{0}} (t) \cdot e^{Jnw_{0}t} dt$$

$$= \frac{A}{T_{0}} \int_{0}^{T_{0}/2} e^{Jnw_{0}t} dt$$

$$= \frac{A}{T_{0}} \cdot \frac{e^{Jnw_{0}t}}{-Jnw_{0}} \int_{0}^{T_{0}/2} e^{Jnw_{0}T_{0}/2} e$$

$$= \frac{A}{-Jnw_{0}T_{0}} \cdot \left[e^{Jnw_{0}T_{0}/2} - e^{Jnw_{0}T_{0}/2} - e^{Jnw_{0}T_{0}/2} \right]$$

$$= \frac{A}{-Jn(2\pi)} \cdot \left[e^{Jn\pi} - 1 \right]$$

$$e^{-JniT} = \cos(n\pi) - J \sin(n\pi)$$

$$= (-1)^n$$

$$C_n = \frac{A}{-2Jn\pi} \left[(-1)^n - 1 \right]$$

$$C_n = \frac{A}{Jn\pi} \left[(-1)^n - 1 \right]$$

$$C_n = \frac{A}{Jn\pi} , n \text{ odd}$$

$$||Cn| = \frac{A}{n\pi}, nodd|.$$

$$g_{p}(t) = \sum_{n=-\infty}^{\infty} A_{p} \cdot e^{+Jnwot}, \quad n \text{ odd} \quad |C_{n}|$$

$$A_{p}(t) = \sum_{n=-\infty}^{\infty} A_{p} \cdot e^{-Jnwot}, \quad n \text{ odd} \quad |C_{n}|$$

$$A_{p}(t) = \sum_{n=-\infty}^{\infty} A_{p} \cdot e^{-Jnwot}, \quad n \text{ odd} \quad |C_{n}|$$

$$A_{p}(t) = \sum_{n=-\infty}^{\infty} A_{p} \cdot e^{-Jnwot}, \quad n \text{ odd} \quad |C_{n}|$$

$$A_{p}(t) = \sum_{n=-\infty}^{\infty} A_{p} \cdot e^{-Jnwot}, \quad n \text{ odd} \quad |C_{n}|$$

2. a.

$$x(t) = 2 \operatorname{rect} \left(\frac{t-5}{10} \right) + 8 \sin(8\pi t)$$

$$= 20 \operatorname{Sinc}(10f) \cdot e^{-J2\pi f(5)} + \frac{8}{2j} \left[5(f-4) - 5(f+4) \right]$$

b.
$$g(t) = \frac{1}{2} \delta(t + \frac{1}{4}) + \frac{1}{2} \delta(t - \frac{1}{4}).$$

$$= \frac{1}{2} \left[e^{j2\pi F(\frac{1}{4})} - j2\pi F(\frac{1}{4}) \right]$$

$$= \frac{1}{2} \left[e^{j\pi F/2} + e^{j\pi F/2} \right] = \cos(\pi F/2)$$

$$W(f) = ?$$

$$= at \quad u(t) = \frac{1}{a + J2\pi f}$$

$$(-J2\pi t) g(t) = dG(f)$$

$$df$$

$$df$$

$$df$$

$$df$$

$$df$$

$$df$$

$$-J2\pi$$

$$df$$

$$g(t) = e^{at}u(t)$$
, $G(f) = \frac{1}{a+J2\pi f}$

$$\frac{dG_{1}(f)}{df} = \frac{dG_{1}(f)}{df} = \frac{dG_{1}(f)}{df} = \frac{(a+J2\pi F)*0 - (J2\pi F)^{2}}{(a+J2\pi F)^{2}}$$

:.
$$W(f) = \frac{1}{(a+J2\pi F)^2} = \frac{1}{(a+J\omega)^2}$$

4.
$$m(t) = \sin(2000 \pi t) + 2 \cos(4000 \pi t)$$

 $C(t) = 100 \cos(2\pi f_c t), f_{c} = 1 \text{ MHz} \longrightarrow \text{Ka} = 0.01$
DSBTC

a) Find & Sketch the Spectrum

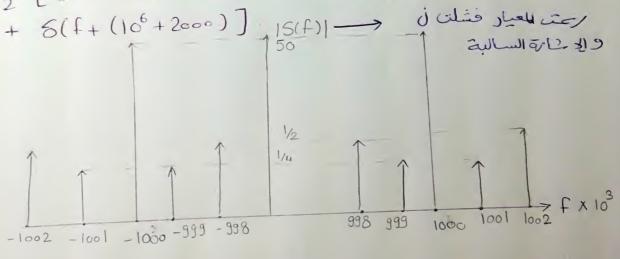
$$S(t) = Ac(1 + Ka. m(t)) Cos(2\pi fct)$$

$$= loo (1 + o.ol sin(2000\pi t) + o.o2 Cos(4000\pi t)).$$

$$Cos(2\pi. lob t)$$

=
$$|\cos(2\pi \cdot 10^6 t) + \frac{1}{2} \left[\sin(2\pi (10^6 + 1000) t + \sin(2\pi (10^6 + 1000) t) + \left[\cos(2\pi (10^6 + 2000) t) + \cos(2\pi (10^6 + 2000) t) \right] \right]$$

$$S(f) = \frac{100}{2} \left[S(f - 10^6) + S(f + 10^6) \right] + \frac{1}{4j} \left[S(f - (-10^6 + 1000)) - S(f + (10^6 + 1000)) + S(f - (10^6 + 1000)) - S(f + (10^6 + 1000)) - S(f + (10^6 + 1000)) + S(f - (10^6 + 2000)) + S($$



b)
$$Pc = ?$$
 $PDSB = ?$

$$Pc = \frac{Ac^2}{2} = \frac{100^2}{2} = 5000 \text{ walt}$$

$$PDSB = \frac{Ac^2 \mu t^2}{4} = 1.21 \text{ walt}$$

Percentage =
$$\frac{Pc}{Pc + Posb} = \frac{100^{\circ}/.}{5000 + 1.21} = \frac{5000}{5000 + 1.21} = 99.975^{\circ}/.$$

c)
$$\mu t = ?$$
 $\mu t = \sqrt{\mu_1^2 + \mu_2^2} = \sqrt{0.01^2 + 0.02^2} = 0.022$